

Important Parabolic Orbits Formulas PDF



**Formulas
Examples
with Units**

**List of 14
Important Parabolic Orbits Formulas**

1) Orbital Position as Function of Time Formulas

1.1) Mean Anomaly in Parabolic Orbit given Time since Periapsis Formula

Formula

$$M_p = \frac{[GM.Earth]^2 \cdot t_p}{h_p^3}$$

Example with Units

$$82.0039^\circ = \frac{4E+14m^3/s^2 \cdot 3578s}{73508km^2/s^3}$$

Evaluate Formula 

1.2) Mean Anomaly in Parabolic Orbit given True Anomaly Formula

Formula

$$M_p = \frac{\tan\left(\frac{\theta_p}{2}\right)}{2} + \frac{\tan\left(\frac{\theta_p}{2}\right)^3}{6}$$

Example with Units

$$81.9007^\circ = \frac{\tan\left(\frac{115^\circ}{2}\right)}{2} + \frac{\tan\left(\frac{115^\circ}{2}\right)^3}{6}$$

Evaluate Formula 

1.3) Time since Periapsis in Parabolic Orbit given Mean Anomaly Formula

Formula

$$t_p = \frac{h_p^3 \cdot M_p}{[GM.Earth]^2}$$

Example with Units

$$3577.8282s = \frac{73508km^2/s^3 \cdot 82^\circ}{4E+14m^3/s^2}$$

Evaluate Formula 

1.4) True Anomaly in Parabolic Orbit given Mean Anomaly Formula

Formula

$$\theta_p = 2 \cdot \operatorname{atan} \left(\left(3 \cdot M_p + \sqrt{(3 \cdot M_p)^2 + 1} \right)^{\frac{1}{3}} - \left(3 \cdot M_p + \sqrt{(3 \cdot M_p)^2 + 1} \right)^{-\frac{1}{3}} \right)$$

Example with Units

$$115.0331^\circ = 2 \cdot \operatorname{atan} \left(\left(3 \cdot 82^\circ + \sqrt{(3 \cdot 82^\circ)^2 + 1} \right)^{\frac{1}{3}} - \left(3 \cdot 82^\circ + \sqrt{(3 \cdot 82^\circ)^2 + 1} \right)^{-\frac{1}{3}} \right)$$

Evaluate Formula 



2) Parabolic Orbit Parameters Formulas

2.1) Angular Momentum given Perigee Radius of Parabolic Orbit Formula

Formula

$$h_p = \sqrt{2 \cdot [\text{GM.Earth}] \cdot r_{p,\text{perigee}}}$$

Example with Units

$$73508.0104 \text{ km}^2/\text{s} = \sqrt{2 \cdot 4\text{E}+14 \text{ m}^3/\text{s}^2 \cdot 6778 \text{ km}}$$

Evaluate Formula 

2.2) Escape Velocity given Radius of Parabolic Trajectory Formula

Formula

$$v_{p,\text{esc}} = \sqrt{\frac{2 \cdot [\text{GM.Earth}]}{r_p}}$$

Example with Units

$$5.827 \text{ km/s} = \sqrt{\frac{2 \cdot 4\text{E}+14 \text{ m}^3/\text{s}^2}{23479 \text{ km}}}$$

Evaluate Formula 

2.3) Parameter of Orbit given X Coordinate of Parabolic Trajectory Formula

Formula

$$p_p = x \cdot \frac{1 + \cos(\theta_p)}{\cos(\theta_p)}$$

Example with Units

$$10801.1897 \text{ km} = -7906 \text{ km} \cdot \frac{1 + \cos(115^\circ)}{\cos(115^\circ)}$$

Evaluate Formula 

2.4) Parameter of Orbit given Y Coordinate of Parabolic Trajectory Formula

Formula

$$p_p = y \cdot \frac{1 + \cos(\theta_p)}{\sin(\theta_p)}$$

Example with Units

$$10800.2521 \text{ km} = 16953 \text{ km} \cdot \frac{1 + \cos(115^\circ)}{\sin(115^\circ)}$$

Evaluate Formula 

2.5) Perigee Radius of Parabolic Orbit given Angular Momentum Formula

Formula

$$r_{p,\text{perigee}} = \frac{h_p^2}{2 \cdot [\text{GM.Earth}]}$$

Example with Units

$$6777.9981 \text{ km} = \frac{73508 \text{ km}^2/\text{s}^2}{2 \cdot 4\text{E}+14 \text{ m}^3/\text{s}^2}$$

Evaluate Formula 

2.6) Radial Position in Parabolic Orbit given Angular Momentum and True Anomaly Formula

Formula

$$r_p = \frac{h_p^2}{[\text{GM.Earth}] \cdot (1 + \cos(\theta_p))}$$

Example with Units

$$23478.3944 \text{ km} = \frac{73508 \text{ km}^2/\text{s}^2}{4\text{E}+14 \text{ m}^3/\text{s}^2 \cdot (1 + \cos(115^\circ))}$$

Evaluate Formula 



2.7) Radial Position in Parabolic Orbit given Escape Velocity Formula

Formula

$$r_p = \frac{2 \cdot [\text{GM.Earth}]}{v_{p,\text{esc}}^2}$$

Example with Units

$$23478.9961 \text{ km} = \frac{2 \cdot 4\text{E}+14\text{m}^3/\text{s}^2}{5.826988 \text{ km/s}^2}$$

Evaluate Formula 

2.8) True Anomaly in Parabolic Orbit given Radial Position and Angular Momentum Formula

Formula

$$\theta_p = \arccos \left(\frac{h_p^2}{[\text{GM.Earth}] \cdot r_p} - 1 \right)$$

Example with Units

$$115.0009^\circ = \arccos \left(\frac{73508 \text{ km}^2/\text{s}^2}{4\text{E}+14\text{m}^3/\text{s}^2 \cdot 23479 \text{ km}} - 1 \right)$$

Evaluate Formula 

2.9) X Coordinate of Parabolic Trajectory given Parameter of Orbit Formula

Formula

$$x = p_p \cdot \left(\frac{\cos(\theta_p)}{1 + \cos(\theta_p)} \right)$$

Example with Units

$$-7905.1292 \text{ km} = 10800 \text{ km} \cdot \left(\frac{\cos(115^\circ)}{1 + \cos(115^\circ)} \right)$$

Evaluate Formula 

2.10) Y Coordinate of Parabolic Trajectory given Parameter of Orbit Formula

Formula

$$y = p_p \cdot \frac{\sin(\theta_p)}{1 + \cos(\theta_p)}$$

Example with Units

$$16952.6042 \text{ km} = 10800 \text{ km} \cdot \frac{\sin(115^\circ)}{1 + \cos(115^\circ)}$$






Evaluate Formula 



Variables used in list of Parabolic Orbits Formulas above





- h_p Angular Momentum of Parabolic Orbit (Square Kilometer per Second)
- M_p Mean Anomaly in Parabolic Orbit (Degree)
- p_p Parameter of Parabolic Orbit (Kilometer)
- r_p Radial Position in Parabolic Orbit (Kilometer)
- $r_{p,perigee}$ Perigee Radius in Parabolic Orbit (Kilometer)
- t_p Time since Periaapsis in Parabolic Orbit (Second)
- $v_{p,esc}$ Escape Velocity in Parabolic Orbit (Kilometer per Second)
- x X Coordinate Value (Kilometer)
- y Y Coordinate Value (Kilometer)
- θ_p True Anomaly in Parabolic Orbit (Degree)

Constants, Functions, Measurements used in list of Parabolic Orbits Formulas above

- **constant(s): [GM.Earth]**, 3.986004418E+14
Earth's Geocentric Gravitational Constant
- **Functions: acos**, acos(Number)
The inverse cosine function, is the inverse function of the cosine function. It is the function that takes a ratio as an input and returns the angle whose cosine is equal to that ratio.
- **Functions: atan**, atan(Number)
Inverse tan is used to calculate the angle by applying the tangent ratio of the angle, which is the opposite side divided by the adjacent side of the right triangle.
- **Functions: cos**, cos(Angle)
Cosine of an angle is the ratio of the side adjacent to the angle to the hypotenuse of the triangle.
- **Functions: sin**, sin(Angle)
Sine is a trigonometric function that describes the ratio of the length of the opposite side of a right triangle to the length of the hypotenuse.
- **Functions: sqrt**, sqrt(Number)
A square root function is a function that takes a non-negative number as an input and returns the square root of the given input number.
- **Functions: tan**, tan(Angle)
The tangent of an angle is a trigonometric ratio of the length of the side opposite an angle to the length of the side adjacent to an angle in a right triangle.
- **Measurement: Length** in Kilometer (km)
Length Unit Conversion 
- **Measurement: Time** in Second (s)
Time Unit Conversion 
- **Measurement: Speed** in Kilometer per Second (km/s)
Speed Unit Conversion 
- **Measurement: Angle** in Degree (°)
Angle Unit Conversion 
- **Measurement: Specific Angular Momentum** in Square Kilometer per Second (km²/s)
Specific Angular Momentum Unit Conversion 



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